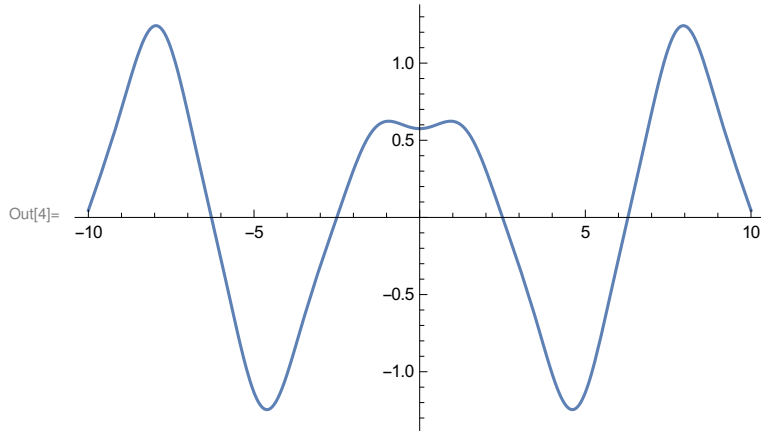


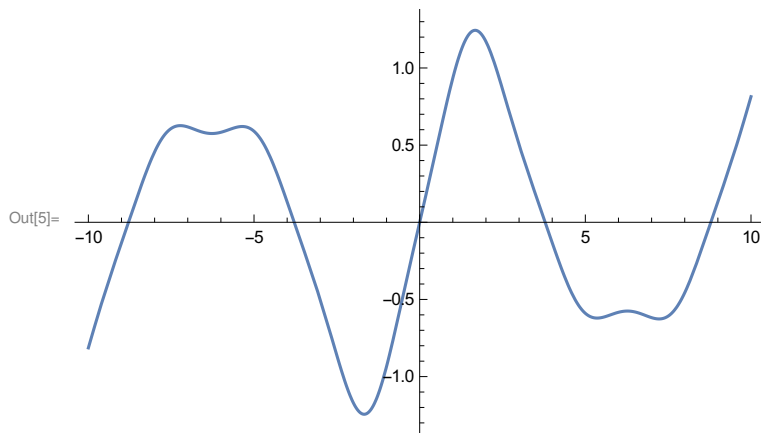
```
In[2]:= DSolve[y''[x] + (a - 2 q Cos[2 x]) y[x] == 0, y, x]
```

```
Out[2]= {{y -> Function[{x}, C[1] MathieuC[a, q, x] + C[2] MathieuS[a, q, x]]}}
```

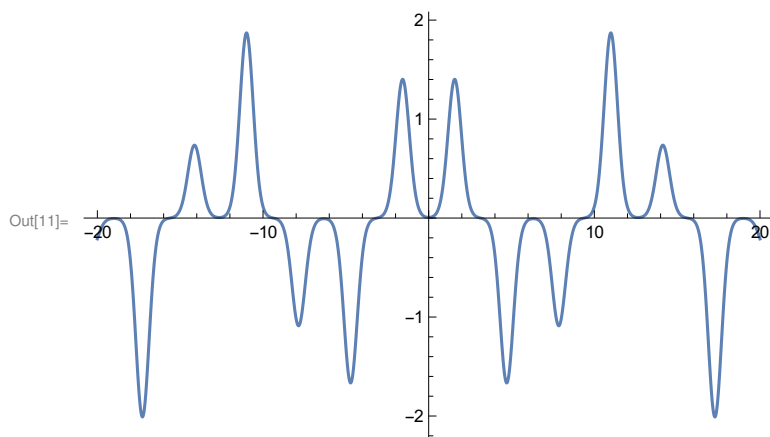
```
In[4]:= Plot[MathieuC[a, q, x] /. {a -> 0.4, q -> 0.4}, {x, -10, 10}]
```



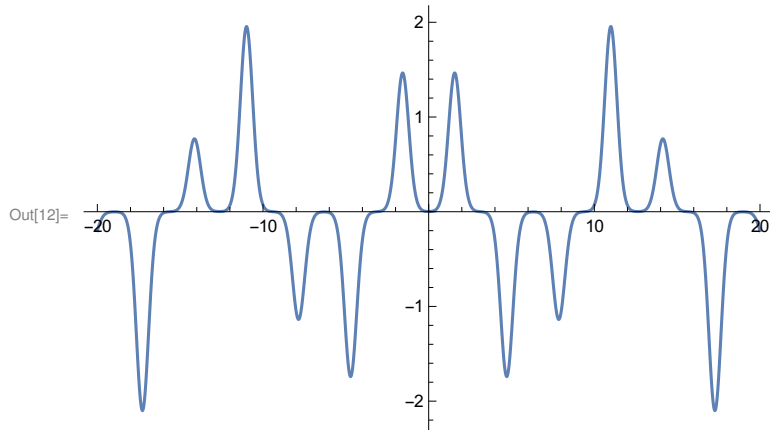
```
In[5]:= Plot[MathieuS[a, q, x] /. {a -> 0.4, q -> 0.4}, {x, -10, 10}]
```



```
In[11]:= Plot[MathieuC[MathieuCharacteristicA[0.53, q], q, x] /. {q -> 10.2}, {x, -20, 20}]
```



```
In[12]:= Plot[MathieuC[MathieuCharacteristicB[0.53, q], q, x] /. {q -> 14.2}, {x, -20, 20}]
```



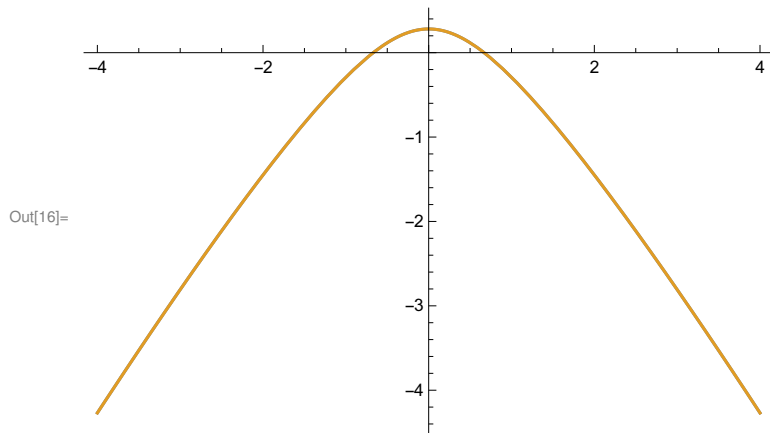
```
In[14]:= MathieuCharacteristicB[0.53, q] /. {q -> 1.0}
```

```
MathieuCharacteristicA[0.53, q] /. {q -> 1.0}
```

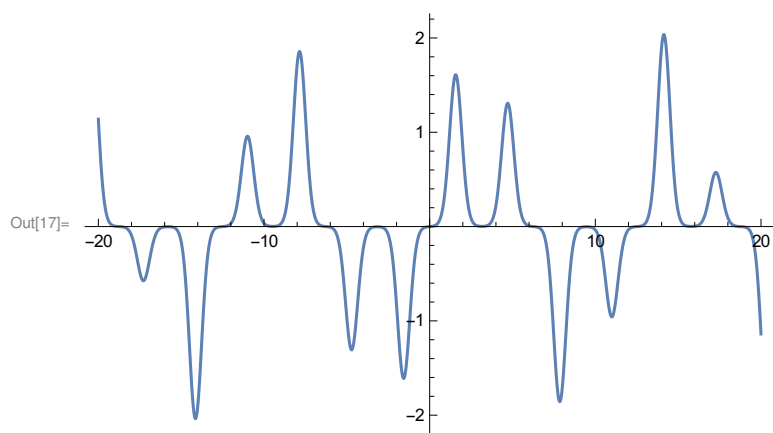
Out[14]= -0.29137615

Out[15]= -0.29137615

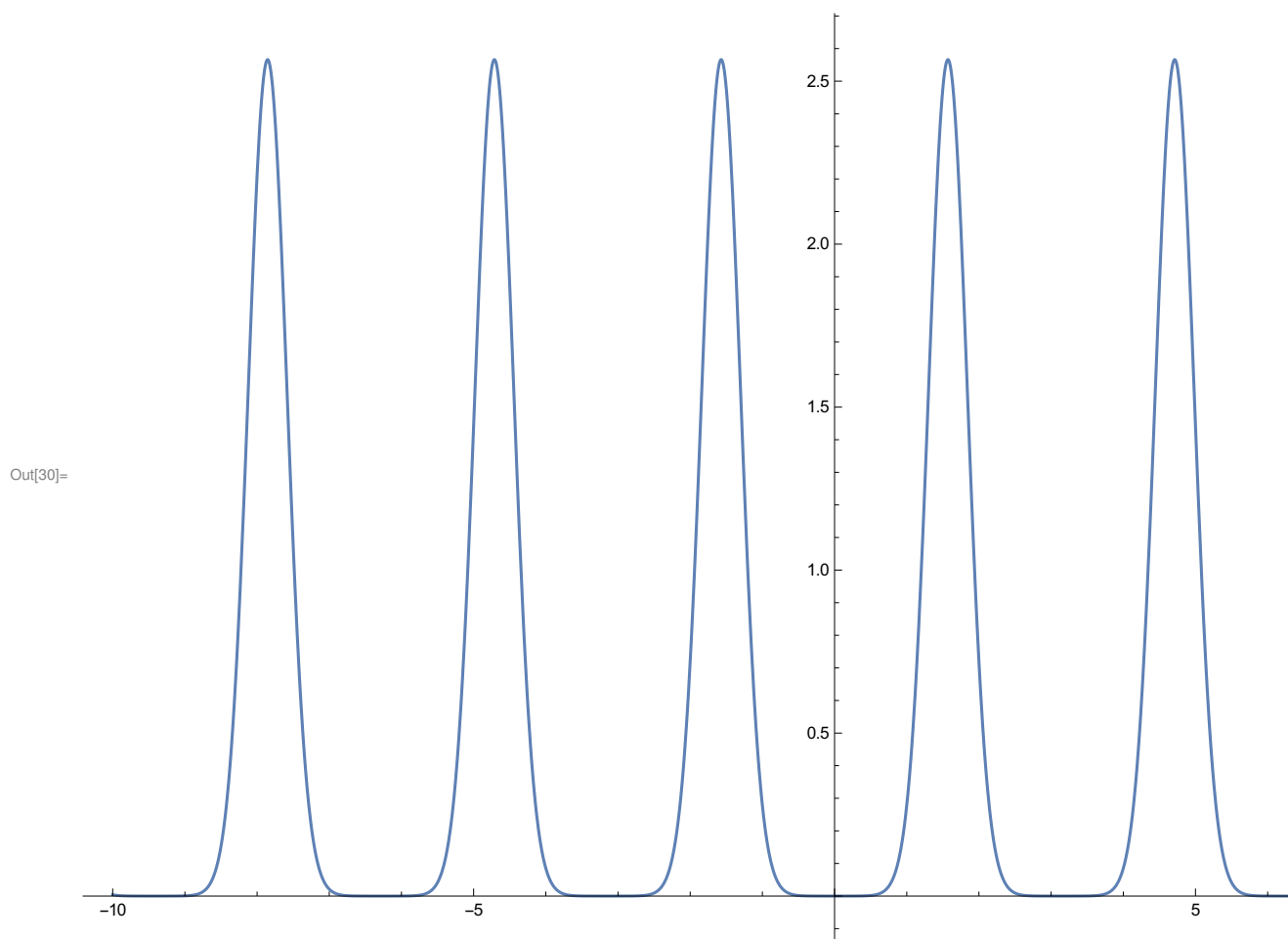
```
In[16]:= Plot[{MathieuCharacteristicA[0.53, q],  
MathieuCharacteristicB[0.53, q]}, {q, -4, 4}]
```



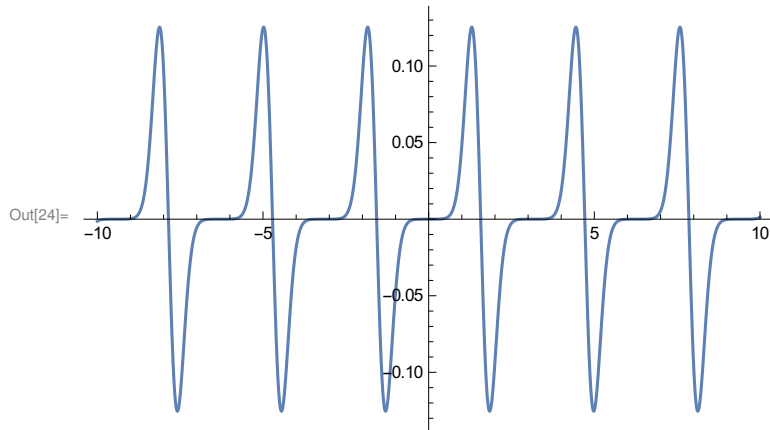
```
In[17]:= Plot[MathieuS[MathieuCharacteristicB[0.53, q], q, x] /. {q → 14.2}, {x, -20, 20}]
```



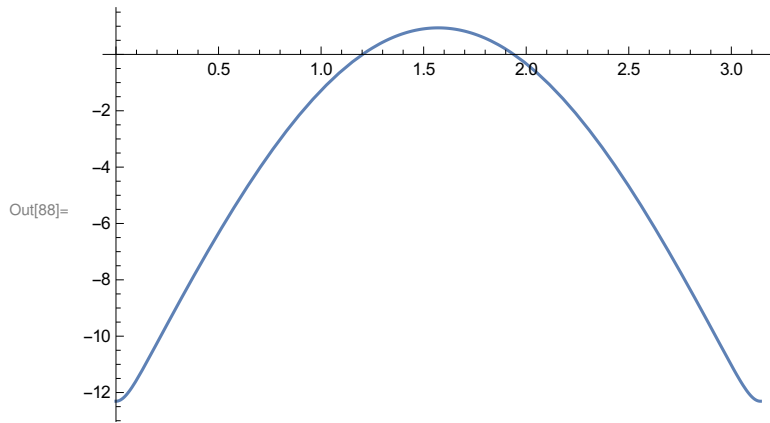
```
In[30]:= Plot[Re[(MathieuC[MathieuCharacteristicA[k, q], q, x] +
  I MathieuS[MathieuCharacteristicA[k, q], q, x]) Exp[-I k x]] /.
  {k → 0.3, q → 50.3}, {x, -10, 10}, PlotRange → All]
```



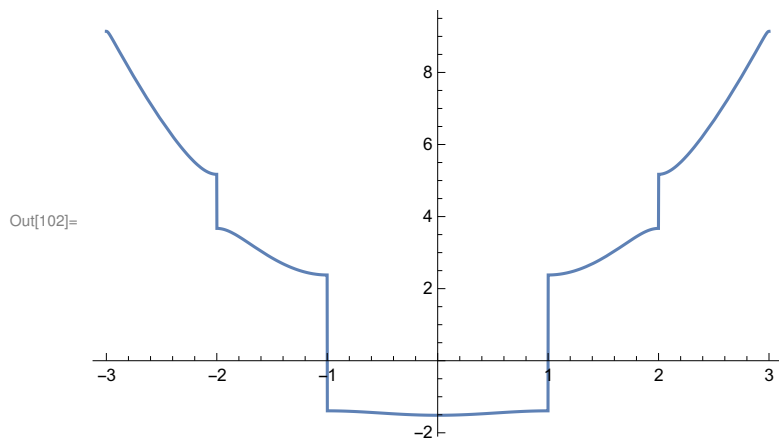
```
In[24]:= Plot[Im[(MathieuC[MathieuCharacteristicA[k, q], q, x] +
  I MathieuS[MathieuCharacteristicA[k, q], q, x])
  Exp[-I k x]] /. {k -> 0.3, q -> 50.3}, {x, -10, 10}]
```



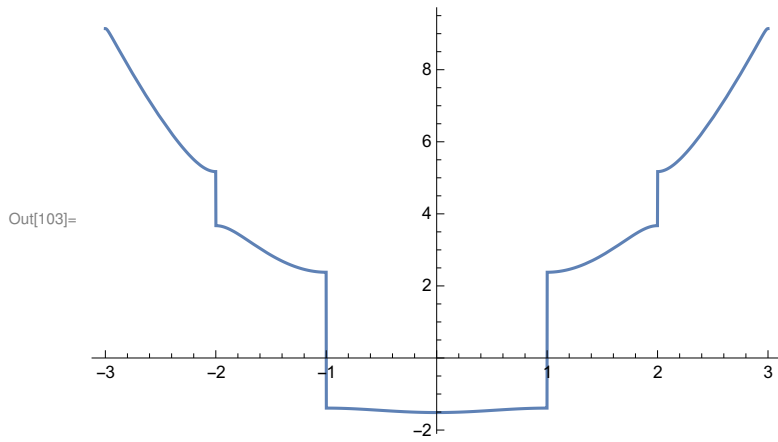
```
In[88]:= Plot[Log[Re[(MathieuC[MathieuCharacteristicA[k, q], q, x] +
  I MathieuS[MathieuCharacteristicA[k, q], q, x]) Exp[-I k x]]] /.
  {k -> 0.3, q -> 50.3}, {x, 0, Pi}, PlotRange -> All]
```



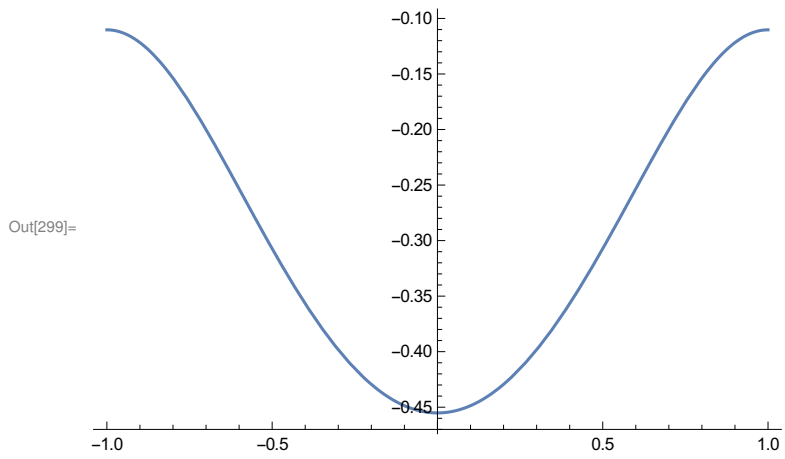
```
In[102]:= Plot[MathieuCharacteristicB[k, 2], {k, -3, 3}]
```



```
In[103]:= Plot[MathieuCharacteristicA[k, 2], {k, -3, 3}]
```



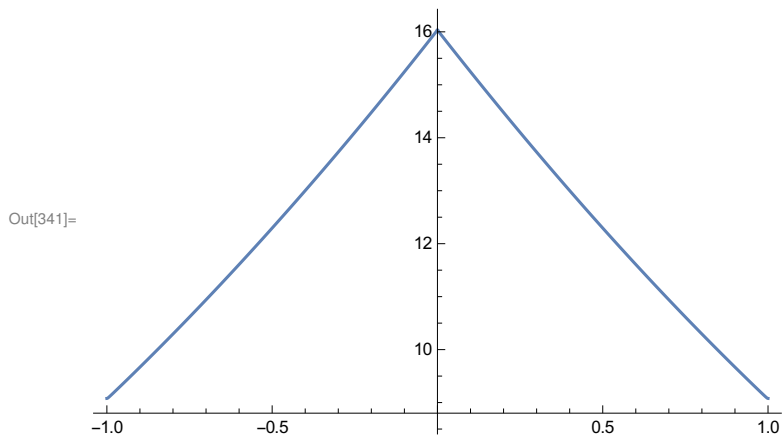
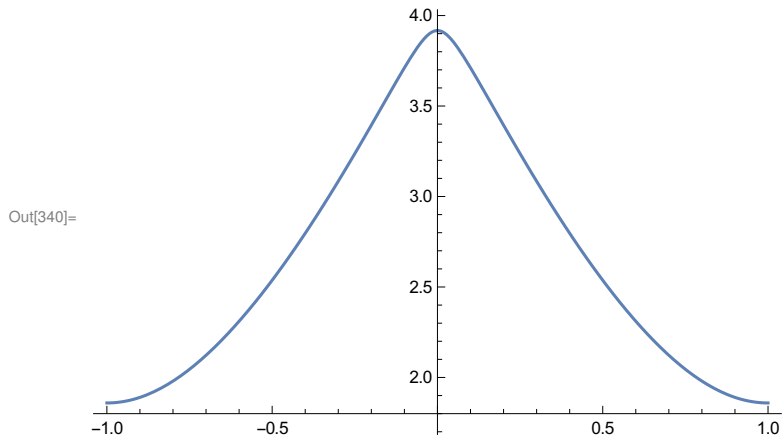
```
In[299]:= q0 = Plot[MathieuCharacteristicA[k, 1], {k, -1, 1}]
```



```

In[336]:= q1 = Plot[MathieuCharacteristicA[k+2, 1], {k, -1, 0}];
q2 = Plot[MathieuCharacteristicA[k-2, 1], {k, 0, 1}];
q3 = Plot[MathieuCharacteristicA[k+4, 1], {k, -1, 0}];
q4 = Plot[MathieuCharacteristicA[k-4, 1], {k, 0, 1}];
q12 = Show[q1, q2, PlotRange -> All]
q34 = Show[q3, q4, PlotRange -> All]

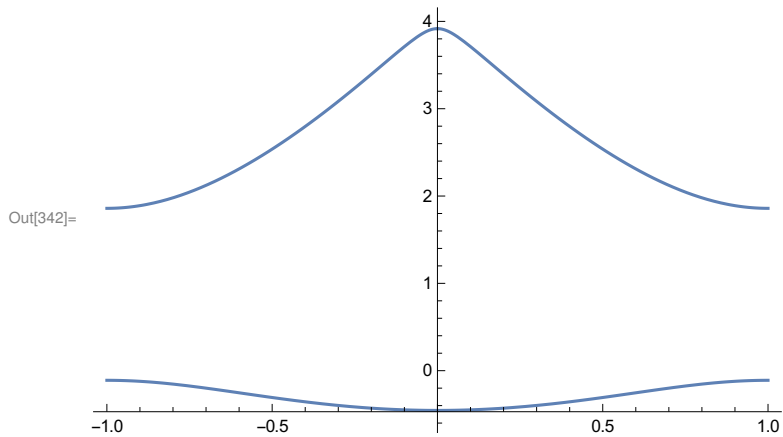
```



```

In[342]:= Show[q0, q12, PlotRange -> All]

```



In[144]:= **MathieuCharacteristicB**[0.4, 0.4]

Out[144]= 0.067342773

In[145]:= **MathieuCharacteristicExponent**[0.06734277257330788[^], 0.4]

Out[145]= 0.4

In[146]:= **MathieuCharacteristicB**[0.43234123, 2.123323134]

Out[146]= -1.6254659

In[343]:= **MathieuCharacteristicExponent**[-1.625465910293771, 2.123323134]

Out[343]= 0.43234123

In[347]:= **MathieuCharacteristicB**[4.4, 0.4]

MathieuCharacteristicExponent[19.36435817288173, 0.4]

Out[347]= 19.364358

Out[348]= 4.4

In[351]:= **MathieuCharacteristicB**[49.4, 0.4]

MathieuCharacteristicExponent[2440.3600327954873[^], 0.4]

Out[351]= 2440.36

Out[352]= 49.4

In[227]:= **a = 0.1;**

b = 0.1;

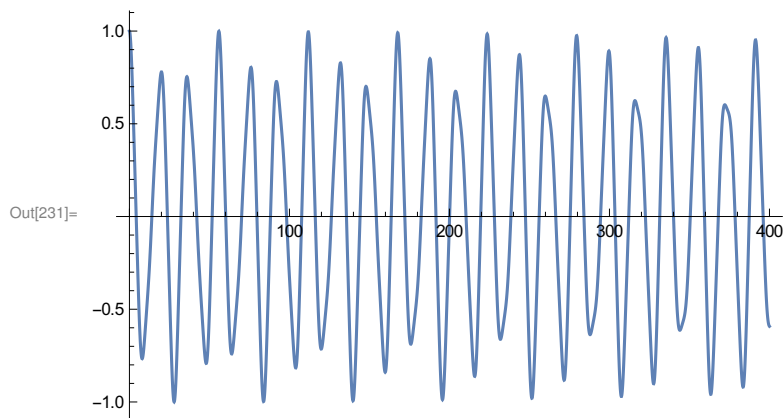
w = 0.9;

s =

NDSolve[{**y**'[**x**] + **y**[**x**] (**a** + **b** **Cos**[**w** **x**]) == 0, **y**[0] == 1, **y**'[0] == 0}, **y**[**x**], {**x**, 0, 400}]

Plot[**Evaluate**[**y**[**x**] /. **s**], {**x**, 0, 400}, **PlotRange** → **All**]

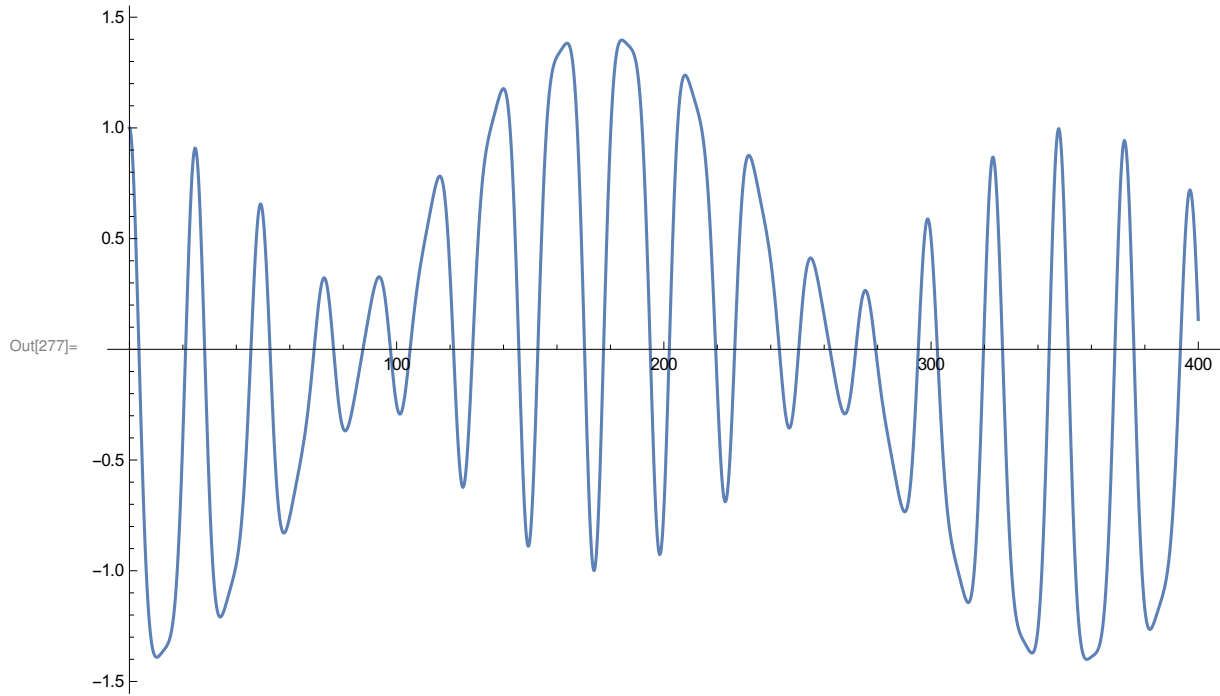
Out[230]= { { **y**[**x**] → **InterpolatingFunction** [  **Domain:** {{0., 400.}} **Output:** scalar] [**x**] }




In[232]:=

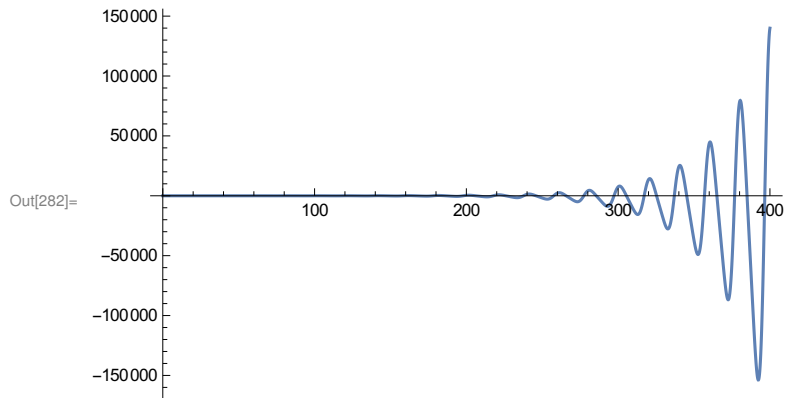
```
In[273]:= a = 0.1;  
b = 0.1;  
w = Sqrt[a] * 0.8;  
s =  
NDSolve[{y''[x] + y[x] (a + b Cos[w x]) == 0, y[0] == 1, y'[0] == 0}, y[x], {x, 0, 400}]  
Plot[Evaluate[y[x] /. s], {x, 0, 400}, PlotRange -> All]
```

```
Out[276]= {{y[x] -> InterpolatingFunction[ Domain: {{0., 400.}}  
Output: scalar] [x]}}
```





```
In[278]:= a = 0.1;
b = 0.1;
w = Sqrt[a];
s =
NDSolve[{y''[x] + y[x] (a + b Cos[w x]) == 0, y[0] == 1, y'[0] == 0}, y[x], {x, 0, 400}]
Plot[Evaluate[y[x] /. s], {x, 0, 400}, PlotRange -> All]
```

```
Out[281]= {{y[x] -> InterpolatingFunction[ Domain: {{0., 400.}} Output: scalar]} [x]}
```



```
In[283]:= a = 0.1;
b = 0.1;
w = Sqrt[a] * 1.2;
s =
NDSolve[{y''[x] + y[x] (a + b Cos[w x]) == 0, y[0] == 1, y'[0] == 0}, y[x], {x, 0, 400}]
Plot[Evaluate[y[x] /. s], {x, 0, 400}, PlotRange -> All]
```

```
Out[286]= {{y[x] -> InterpolatingFunction[ Domain: {{0., 400.}} Output: scalar]} [x]}
```

